

- simultaneous sharpening of all surfaces as well as rake surfaces, which contributes greatly to the reduction of time allowed to sharpening thanks to the elimination of indexing moments;

- great simplification of the cutters grinder's kinematics;
- elimination of the grinding wheel wear on the radial and axial direction of the cutting edges depending on the manner in which the sharpening and work positioning are carried out and also, depending on the cutting edge position in relation to the geometric axis of the inserts.

In what follows a number of characteristics of the face milling cutters are presented which can be extrapolated to any type of uninterrupted sharpening tool with inserts.

From figure 2, 3 and 4 it can be seen that, however the tooth axis position in relation to the shank of tool axis may be, the surfaces to be sharpen are part of the convex revolved surfaces (cones, cylinders) coaxial to the shank of cutters axis. The shape of the respective surface is given by the geometric parameters which is to be obtained after sharpening.

The surface on which sharpening occurs may be even a plane, case which is to be considered a

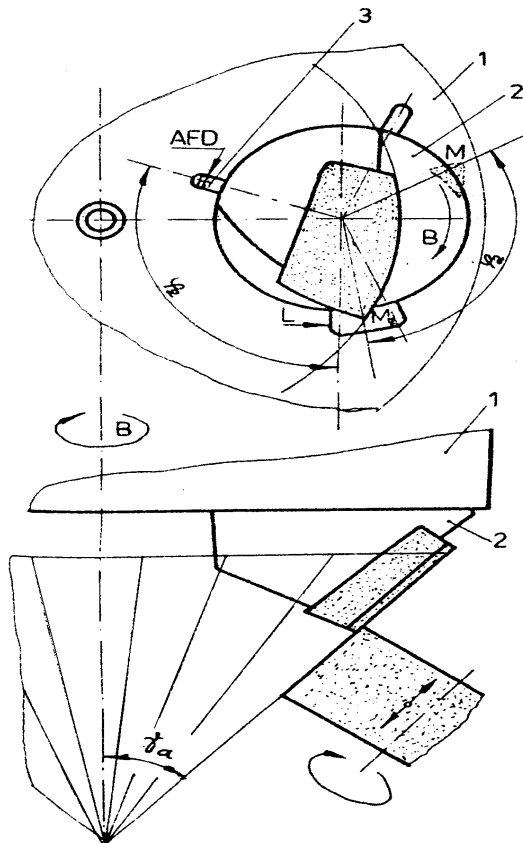


Figure 3

degenerate case of sharpening on a cone with the edge cone angle of  $180^\circ$ .

It can be seen from figure 2 that the  $\phi_1$  angle, formed by the positioning the  $M$  point which is on

the work position edge and the  $M_1$  position of the same point in sharpening is equal to the  $\phi_1$  angle formed between the  $L$  and  $AFAP$  work position which is entirely natural, considering that all the points attached to the tooth are rotated at the same time with the tooth.

It must be remarked that the  $\phi_1$  angle differs from the  $\alpha_{xf}$  angle, because the  $M$  point does not coincide in general with the tooth axis, but is found at the  $a_v$  distance and  $h_v$  height from the axis, or the polar coordinates  $r_v$  and  $\varphi_v$ . The  $\phi_1$  angle is equal to  $\alpha_{xf}$  only when the edge point coincides with the tooth axis.

Following a similar reasoning it can be deduced that the  $\phi_2$  angle is equal to  $90^\circ + \gamma_{xf}$  and  $\phi_3$  is equal to  $\alpha'_{xf}$ .

In as much as the cutting edge of the tooth is made of rectilinear edges which are nevertheless positioned eccentrically in relation to the tooth axis, it results that, in rotating the edge from work position to any sharpening position, it actually describes a cross-section of an revolved hyperboloide. As the sharpening is practiced on a cylinder or cone surface and as straight line can be inscribed on one of these shanks only if it is a generating line, it comes out that the necessary angle to sharpen at differs from the imposed geometric parameters.

The case of profiled surfaces, by rotating the cutting edge from work position into sharpening position, it gets bent out of shape and so becomes different from the tool shape, which makes it necessary to determine the specific cutting edge shape that will ensure a correct shape.

Consequently, in sharpening the flanks of rectilinear edges (figure 2), in addition to the  $\phi_1$  angle of positioning the tooth around its axis in rotation it is also necessary to position the shank of cutter in such a way so that the grinding wheel carry out the forward movement along the generating line of a cone, inclined with the  $\phi$  angle, angle which is calculated at the cone base, in order to obtain the  $\phi_g$  angle after sharpening. It must be mentioned that the  $\phi_a$  angle differs from the  $\phi_g$  angle only by few degrees.

In sharpening the rake surfaces (figure 3), in addition to the  $\phi_2$  angle it is also necessary to determine the  $\phi_a$  to semi-angle of the cone edge, value which generally differs only by few degrees from the value of the  $\gamma_{yf}$  longitudinal rake angle. For the same reasons, in sharpening the secondary clearance surfaces (figure 4) it is necessary to determine, in addition to the value of the  $\phi_3$  angle



which the connection between them is established will be examined separately within this chapter.

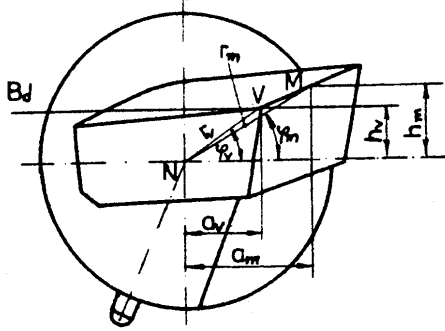


Figure 6

Reverting to the inserts, it can be seen that the position of the V edge is defined by the  $a_v$  and  $h_v$  distances in relation to the tooth axis and it is found at the  $l_c$  distance from the embedding section of the  $d$  diameter of the cutter's shank.

An M point, found at the  $l_m$  distance from the tool edge is defined in position by the  $a_m$  and  $h_m$  distances, given by the relations:

$$\begin{aligned} a_m &= a_v + l_m \cdot \cos \lambda_d \cdot \cos \varphi_d \\ h_m &= h_v - l_m \cdot \sin \lambda_d \end{aligned} \quad (1)$$

In polar coordinates, defined in relation to the tooth axis and base plane of tooth, the M point position is determined by the  $r_m$  and  $\varphi_m$  (figure 6):

$$r_m = \sqrt{a_m^2 + h_m^2} \quad (2)$$

$\varphi_m$  is given by the equivalent relations:

$$\operatorname{tg} \varphi_m = \frac{h_m}{a_m} \quad (3)$$

The position of the base plane ( $B_f$  figure 7) is determined by the cutter axis and the considered M point, and the base plane of tooth ( $B_d$ ) is a plane parallel to the one determined by the tooth axis and cutter axis.

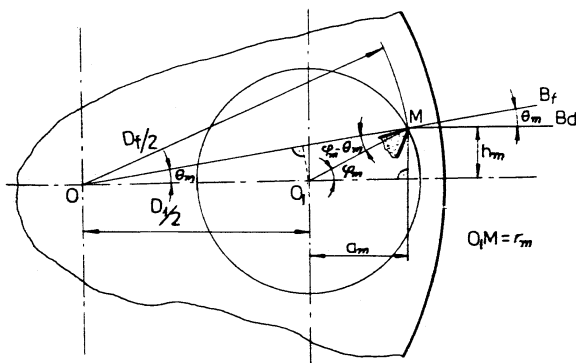


Figure 7

For the assembled cutter are defined:

$D_f$  – milling diameter;

$D_l$  – tooth disposal diameter;

$\theta_m$  – angle which defines M in the center of cutter, determined by the relation:

$$\sin \theta_m = \frac{2 \cdot h_m}{D_f} \quad (4)$$

The connection relations between  $D_f$  and  $D_l$  are determined by means of figure 7, there resulting:

$$\frac{D_f}{2} = \frac{D_l}{2} \cdot \cos \theta_m + r_m \cdot \cos(\varphi_m - \theta_m) \quad (5)$$

From these relations the expressions for  $D_l$  are deduced:

$$\frac{D_l}{2} = \frac{D_f}{2} \cdot \cos \theta_m - r_m \cdot \cos(\varphi_m) \quad (6)$$

The number  $z$  of teeth which are apt to be inserted on the shank of cutter is determined by:

$$z \leq \frac{\pi \cdot D_l}{d + a} \quad (7)$$

where:

$d$  – tooth diameter of embedding section (figure 5);

$a$  – the minimal distance between 2 consecutive teeth recommended by the literature or by the specialist experience.

The Machine Tools Department makes use of the values presented in Table 1.

Table 1 Recommended values for  $a$  and  $d$  parameters

$d$ [mm]	<16	$\geq 16$
$a$ [mm]	2...3	3...5

## References:

1. Belous V. ș.a. SISTEMUL ROMASCON-de scule așchietoare cu ascuțire continuă-detalonate după arce de cerc. Ed. Performantica, Iași, 1999, ISBN 973-98997-7-3.
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